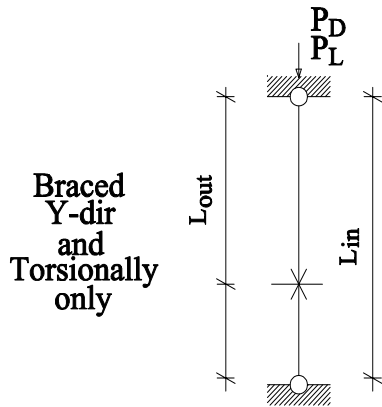




Design of W-Shapes Subjected to Axial Compression



Materials

Grade:	SEL("Material/ASTM"; NAME;)	=	A992
F_y =	TAB("Material/ASTM"; F_y ;NAME=Grade)	=	50.00
E =			29000 ksi

Buckling Lengths

kL_{in} =			30.00 ft
kL_{out} =			15.00 ft

(kL_{in} and kL_{out} are unbraced lengths for the strong- and weak-axes)

Axial Loads

Dead load, P_D =			140 kips
Live load, P_L =			420 kips

From Chapter 2 of ASCE/SEI 7, the required compressive strength is:

Ultimate load, P_u =	$1.2 \cdot P_D + 1.6 \cdot P_L$	=	840 kips
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Section Details

sec.:	SEL("AISC/W";NAME;)	=	W14X90
depth, d =	TAB("AISC/W"; d ;NAME=sec.)	=	14.00 in
Web th., t_w =	TAB("AISC/W"; t_w ;NAME=sec.)	=	0.44 in
Flange width, b_f =	TAB("AISC/W"; b_f ;NAME=sec.)	=	14.50 in
Flange th., t_f =	TAB("AISC/W"; t_f ;NAME=sec.)	=	0.71 in
Area, A =	TAB("AISC/W"; A ;NAME=sec.)	=	26.50 in ²
r_x =	TAB("AISC/W"; r_x ;NAME=sec.)	=	6.14 in
r_y =	TAB("AISC/W"; r_y ;NAME=sec.)	=	3.70 in

(r_x and r_y are the radius of gyration about x- and y-axes, respectively)

Element Classification (According to Table B4-1)

(1) Web:



$$h/t_w, \lambda_w = \text{TAB}(\text{"AISC/W"; } h/t_w; \text{NAME=sec.}) = 25.90$$

According to AISC Specification Table B4.1 Case 10, the limiting width-to-thickness ratio for non-compact web is:

$$\text{Web_Class} = \text{IF}(\lambda_w \leq 1.49 \cdot \sqrt{E/F_y}; \text{"Non-Compact"; "Slender"}) = \text{Non-Compact}$$

(2) Flanges:

$$b_f/2t_f, \lambda_f = \text{TAB}(\text{"AISC/W"; } b_f/2t_f; \text{NAME=sec.}) = 10.20$$

According to AISC Specification Table B4.1 Case 4, the limiting width-to-thickness ratio for non-compact flange is:

$$k_c = \text{MIN}(\text{MAX}(4/\sqrt{\lambda_w}; 0.35); 0.76) = 0.76$$

$$\lambda_{rf} = 0.64 \cdot \sqrt{k_c \cdot E/F_y} = 13$$

$$\text{Fl_Class} = \text{IF}(\lambda_f \leq \lambda_{rf}; \text{"Non-Compact"; "Slender"}) = \text{Non-Compact}$$

Slenderness Check (According to Section E2)

For members designed on the basis of compression, the slenderness ratio KL/r preferably should not exceed 200.

$$\lambda_x = \frac{kL_{in}}{r_x} \cdot 12 = 58.6$$

$$\lambda_y = \frac{kL_{out}}{r_y} \cdot 12 = 48.6$$

Then, the governed slenderness (λ_{max}):

$$\lambda_{max} = \text{MAX}(\lambda_x; \lambda_y) = 58.6$$

Critical Stresses

The available critical stresses may be interpolated from AISC Manual Table 4-22 or calculated directly as follows:

-Calculate the elastic critical buckling stress, F_e :

$$F_e = \frac{\pi^2 \cdot E}{\lambda_{max}^2} = 83.3 \text{ ksi}$$

-Calculate the flexural buckling stress, F_{cr} (Eqns. E3-2 and E3-3):

$$\lambda_1 = 4.71 \cdot \sqrt{E/F_y} = 113$$

$$F_{cr} = \text{IF}(\lambda_{max} \leq \lambda_1; 0.658 \cdot (F_y/F_e) \cdot F_y; 0.877 \cdot F_e) = 38.9 \text{ ksi}$$

Nominal Compressive Strength (Eqn. E3-1)

$$P_n = F_{cr} \cdot A = 1031 \text{ kips}$$

$$\Phi_V = 0.90$$

$$\Phi_V P_n = \Phi_V \cdot P_n = 928 \text{ kips}$$

Compressive stress_safety (S_s):



$S_s =$	$IF(\Phi_v * P_n > P_u; "Safe"; "Unsafe")$	=	Safe
Stress_ratio =	$P_u / (\Phi_v * P_n)$	=	0.91

Design Summary

Ultimate load, $P_u =$	$1.2 * P_D + 1.6 * P_L$	=	840 kips
Design load, $\Phi_v P_n =$	$\Phi_v * P_n$	=	928 kips
Stress_ratio =	$P_u / (\Phi_v * P_n)$	=	0.91
$S_s =$	$IF(\Phi_v * P_n > P_u; "Safe"; "Unsafe")$	=	Safe